

# Discussion of "Ramsey Taxation in the Global Economy" by Pedro Teles

Rody Manuelli

Washington University in St. Louis and Federal Reserve Bank  
of St. Louis

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- ▶ The paper addresses those issues in the context of a standard macro model.
- ▶ Real “tour de force” covering many alternative tax structures.

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  - ▶ Robustness of the results: Are consumption and labor taxes always the answer?
- ▶ How do the results apply to the taxation of robots (one of the themes)
- ▶ Where do we go from here?

# Three Lines Summary of Ramsey Taxation

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- ▶  $N$  goods and the “right”  $N - 1$  taxes  $\rightarrow$  “beautiful” Ramsey formulas.
- ▶  $N$  goods and  $N - 2$  taxes (or the “wrong” set of  $N - 1$  taxes)  $\rightarrow$  a mess ... pretty much anything can happen.

# Pseudo-Planner Problem

- ▶ Standard approach to solving a Ramsey problem: work with a distorted utility function that captures the key implementability condition.
- ▶ The pseudo utility function is

$$v(c, n) = u(c, n) + \varphi(u_c c + u_n n).$$

- ▶ Euler equations:

$$\text{(Planner)} \quad \frac{v_c(t)}{\beta v_c(t)} = 1 - \delta + F_k(t+1),$$

$$\text{(Comp Eq.)} \quad \frac{u_c(t)}{\beta u_c(t)} = \frac{1 + \tau_t^c}{1 + \tau_{t+1}^c} \left[ 1 - \delta + (1 - \tau_{t+1}^k) F_k(t+1) \right]$$

- ▶ Isoelastic preferences imply that  $u_c(t) = C v_c(t)$  and the planner's Euler Equation can be satisfied with  $\tau_t^k = 0$  and  $\tau_t^c = \tau^c$

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- ▶ Technology (adds human capital that, in turn, determines effective labor,  $z$ )

$$\begin{aligned}c_t + x_{ht} + x_{mt} + x_{kt} &\leq F(k_t, z_t), \\h_{t+1} &\leq (1 - \delta_h)h_t + G(x_{ht}, x_{ht}, h_t), \\k_{t+1} &\leq (1 - \delta_k)k_t + x_{kt}, \\z_t &\leq M(x_{mt}, h_t, n_{mt})\end{aligned}$$

$F$ ,  $G$  and  $M$  constant returns to scale.

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- ▶ In this case the planner has to raise revenue during the transition and finance expenditures out of the income of accumulated assets.

# More Restrictive Tax Codes

- ▶ Standard Ramsey

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$$\underbrace{\hat{v}(c, n, k)}_k = u(c, n_a, n_b) + \varphi(u_c c + u_a n_a + u_b n_b) \\ + \eta (u_a F_a - u_b F_b).$$

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Ramsey allocation (in general) requires intertemporal distortions.

- ▶ Do labor income and consumption suffice to implement the Ramsey allocation?
- ▶ Role of consumption taxes? (In steady state the growth tax rate would have to go to zero or infinity)

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# Robots

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- ▶ Do the results of this paper on capital taxation extend to robots? If they do then robots should not be taxed!

# Questions?

- ▶ One of the somewhat consistent findings is that Ramsey tax systems are characterized by production efficiency but ... not if there are restrictions on tax rates on different goods (example: labor).
- ▶ Trade taxes: Intermediate vs. final goods (arbitrage opportunity?)
- ▶ Harmonization of VAT: Is this feasible?

# Moving Forward

- ▶ Important contribution to get started thinking about different tax systems (VAT, border adjustment ...)
- ▶ Further analysis of the fragility of some general principles (e.g. production efficiency) when modeling real world restrictions.
- ▶ What do (time inconsistent) non-cooperative solutions look like?